

The Erythrocytic Sedimentation Rate (ESR) (mm/1st hour) of 10 subjects suffering from Lyme arthritis before and after 6 weeks of parenteral penicillin therapy is presented in the following table. (Assuming that: level of significance or  $\alpha=0.05$ , and two-sided test)

Case #	ESR (mm/1st hour)		B-A	$(X-\bar{X})^2$
	Before	After		
1	10	6	4	$(4-3)^2 = 1$
2	13	9	4	1
3	6	3	3	0
4	11	10	1	4
5	10	10	0	4
6	7	4	3	0
7	8	2	6	4
8	8	5	3	0
9	5	3	2	1
10	9	5	4	1

1. The suitable test to be used in this problem to check the effectiveness of the penicillin therapy is

- A. Independent (2 sample t-test)
- B. Paired t-test
- C. Chi square
- D. One sample t-test
- E. ANOVA

one sample لما يكون عننا  $\bar{x}$   
Before + After

2. The calculated value of t-test is

- A. 2.47
- B. 5.58
- C. 3.11
- D. 7.12
- E. None of the above

Paired t-test بما إنه  $\bar{x}$   $\leftarrow$   $\frac{\bar{x} - \mu}{S/\sqrt{n}}$   $\leftarrow$   $\frac{3-0}{1.69/\sqrt{10}} = 5.6$

$S^2 = \frac{\sum (X - \bar{X})^2}{n-1}$   
 $S^2 = \frac{26}{9} = 2.89$   
 $S = \sqrt{\frac{26}{9}} = 1.69$

3. The critical (tabulated) value of t-test is

- A. 1.83
- B. 5.58
- C. 2.26
- D. 3.25
- E. 2.23

\* بحسب أول شيء  $n-1$   $\leftarrow$   $10-1=9$   
\* يروح على الجدول ويطلع منه  $t$  لأنه ما ذكركم  
بح افترضها  $0.05$

t-table Degrees of Freedom	Probability, p			
	0.1	0.05	0.01	0.001
1	6.31	12.71	63.66	636.02
2	2.92	4.30	9.93	31.60
3	2.35	3.18	6.94	12.92
4	2.13	2.78	4.60	8.61
5	2.02	2.57	4.03	6.87
6	1.94	2.45	3.71	5.96
7	1.89	2.37	3.50	5.41
8	1.86	2.31	3.36	5.04
9	1.83	2.26	3.25	4.78
10	1.81	2.23	3.17	4.59

4. The decision to be taken according to your calculated value is to:

- A. Reject the null hypothesis
- B. Accept the null hypothesis
- C. Can't be determined and need more information
- D. Reject the alternative hypothesis
- E. None of the above

\* القرار إنه ارفضته  $||$

هو انه ما في فروق او  $= \rightarrow ||$

ما في انت بتكون فرضيتك  $||$   
يا  $<$   $>$

\* مثلاً الجدول أطول عمرو من الخ...

If it is known that, the mean Hb% of adult females in a community is 90% ( $\mu$ ), and we want to test whether pregnancy has an effect on hemoglobin level. The sample size is 36 pregnant women, their arithmetic mean of Hb% is 85%, and standard deviation (sd) is 4.14

1. The suitable test to be used in this problem to check the effect of pregnancy on Hb%
- A. Independent (2 sample t-test)
  - B. Paired t-test
  - C. Chi square
  - D. One sample t-test
  - E. ANOVA

اختبارنا لا العينه و Mean ال Population

one sample  
Before  
After

2. The Calculated value (t) is

- A. 1.5
- B. 5.77
- C. 3.22
- D. 7.24
- E. None of the above

$$= \frac{\bar{x} - \mu}{s/\sqrt{n}} = \frac{85 - 90}{\frac{4.14}{\sqrt{36}}} = 7.2$$

حساب لوماليفنا

3. The Critical value at the 5% level (2-sided)

- A. 1.68
- B. 2.77
- C. 3.22
- D. 2.02
- E. 3.55

$$36 - 1 = 35$$

لوماليف بالجدول الرسمى  
ياخذ الاعداد منه

20	1.72	2.09	2.85	3.85
21	1.72	2.08	2.83	3.82
22	1.72	2.07	2.82	3.79
23	1.71	2.07	2.82	3.77
24	1.71	2.06	2.80	3.75
25	1.71	2.06	2.79	3.73
26	1.71	2.06	2.78	3.71
27	1.70	2.05	2.77	3.69
28	1.70	2.05	2.76	3.67
29	1.70	2.05	2.75	3.66
30	1.70	2.04	2.75	3.65
40	1.68	2.02	2.70	3.58
60	1.67	2.00	2.66	3.48
120	1.66	1.98	2.62	3.37
infinity	1.65	1.96	2.58	3.29

4. The decision to be taken according to your calculated value (t) is to:

- A. Accept the null hypothesis
- B. Can't be determined and need more information
- C. Reject the alternative hypothesis
- D. Accept the alternative hypothesis
- E. None of the above

t

$$7.24 > 2.02$$

$\times H_0$

$\checkmark H_1$

If we want to know, whether Japanese doctors are smarter than Jordanian doctors according to their intelligent quotient (IQ). In addition, we know the following information for Japanese doctors: sample size = 100, mean IQ = 92, sd= 5. And for Jordanian doctors: sample size = 100, mean IQ = 90, sd= 4

1. The suitable test to be used in this problem is

- A. ANOVA
- B. Independent (2 sample t-test) *٢ sample ما تشوف*
- C. Paired t-test
- D. Chi square
- E. One sample t-test

2. The calculated value (t) is

- A. 1.56
- B. 2.77
- C. 3.12
- D. 4.24
- E. None of the above

$$s_p^2 = \frac{S_1^2(n-1) + S_2^2(n-1)}{n_1 + n_2 - 2} = \frac{25 \times 99 + 16 \times 99}{198} = 20.5$$

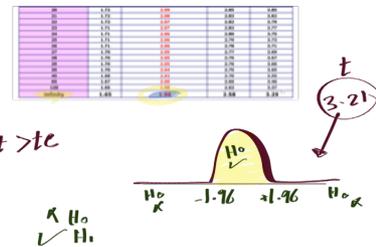
$$t = \frac{\bar{X}_1 - \bar{X}_2}{\sqrt{\frac{s_p^2}{n_1} + \frac{s_p^2}{n_2}}}$$

3. The decision to be taken according to your calculated value (t) is to:

- A. Accept the null hypothesis
- B. Can't be determined and need more information
- C. Reject the null hypothesis
- D. Accept the alternative hypothesis
- E. C+D

\* اتبعه

df  
 $n_1 + n_2 - 2$   
 198  
 لما يكون الرقم كبير بروج على infinity



4. When using alpha level of 0.01 then the test considered statistically not significant if:

- A. p = 0.004
- B. p = 0.005
- C. p = 0.001
- D. p = 0.05
- E. None of the above

$P > \alpha$   
 Significant  
 $P \leq \alpha$