

بِسْمِ اللَّهِ الرَّحْمَنِ الرَّحِيمِ



السلام عليكم ورحمة الله وبركاته

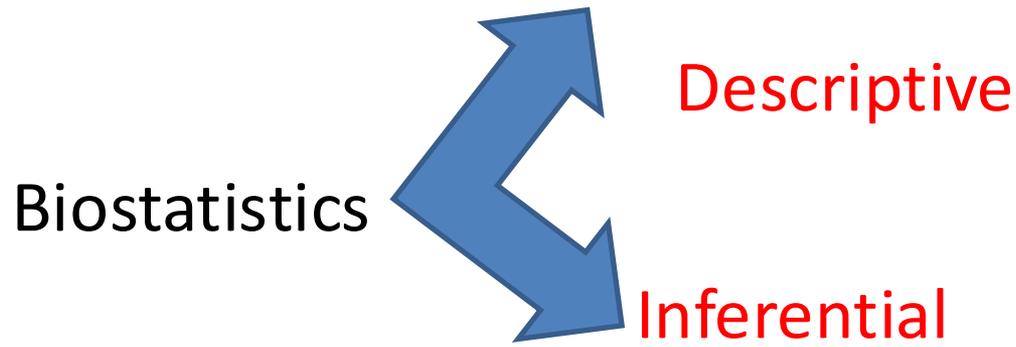
# Biostatistics

## Inferential analysis

LVI

PROF. DR. WAQAR AL-KUBAISY

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Sample:                      mean  $\pm$  S.D                      sample statistic  
sample estimate

Population:    population mean  $\mu \pm$ S.E    Population  
Parameter

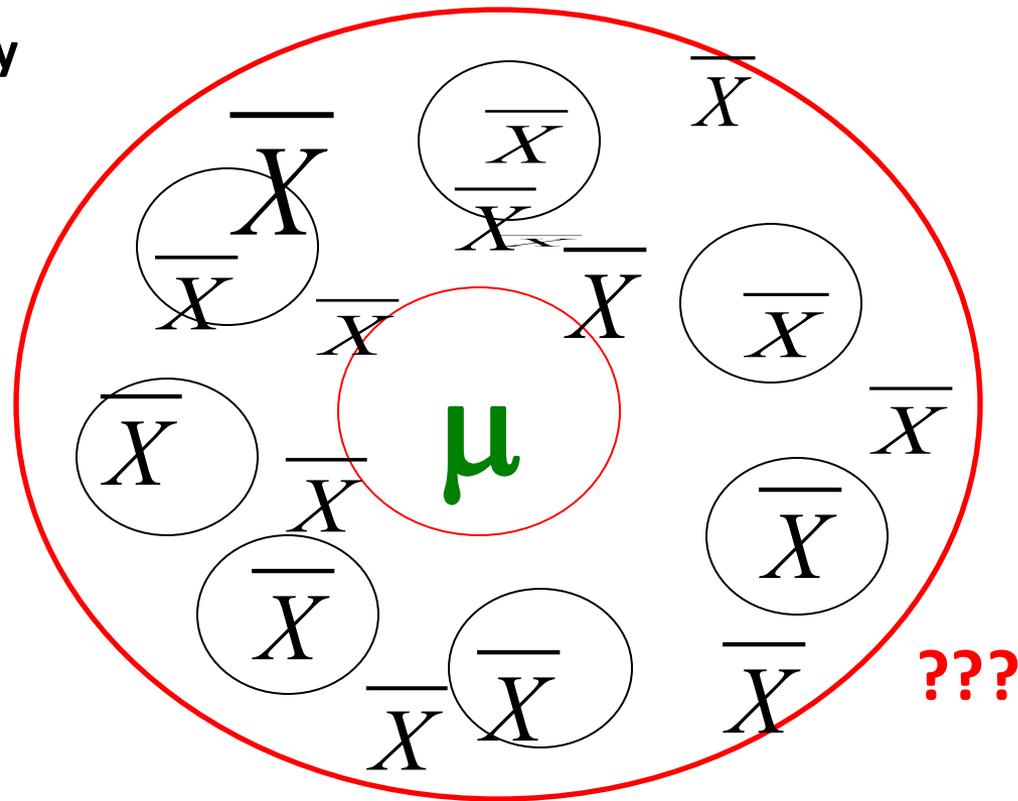
**Sound generalized information about the population from which the sample has been drawn depending on the evidence of the sample .**



**Inferential Biostatistics (Analysis).**

**It is used to test specific hypothesis about population  
by  
using certain test significance**

## Cont. ...Sampling Variability

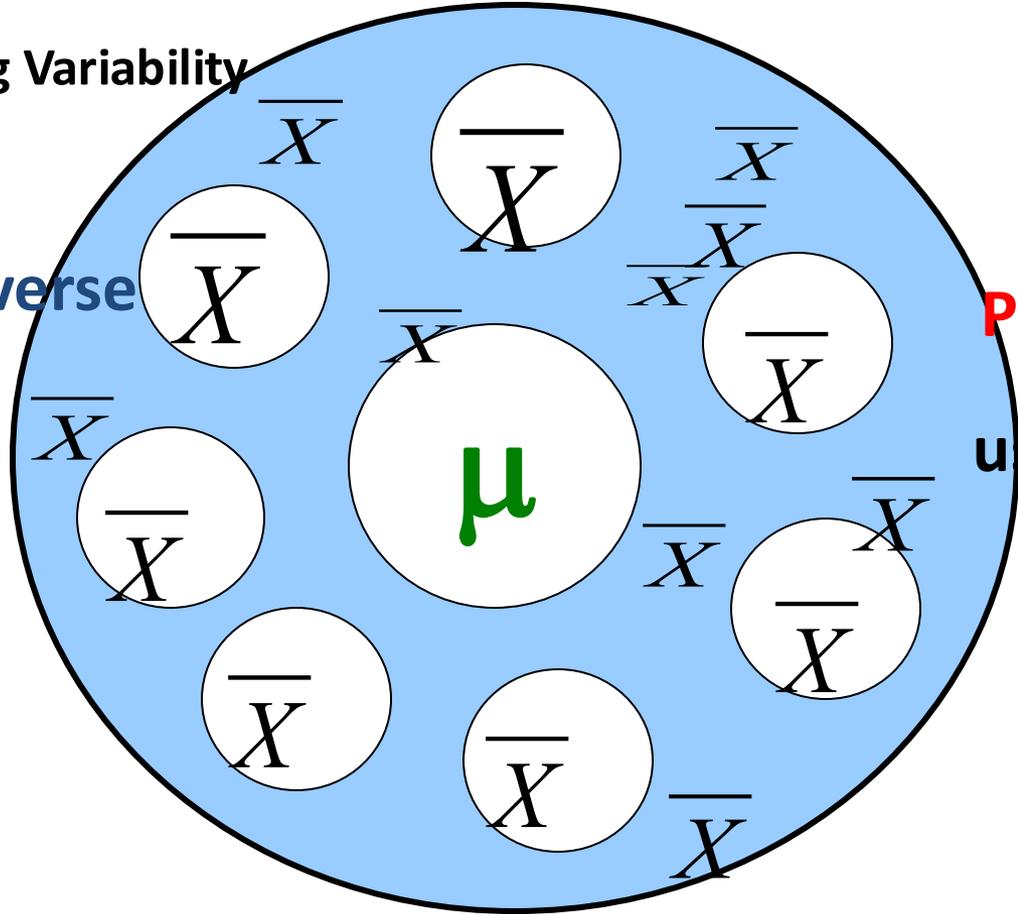


**Different samples  $\rightarrow$  different  $\bar{X}_s$  even if the samples size are equal**

**There is a variation in the  $\bar{X}_s$  of different samples  
This variation is due to sampling variation.**

Cont. ...Sampling Variability

mean of universe  
true mean



Population mean  
is  
usually unknown

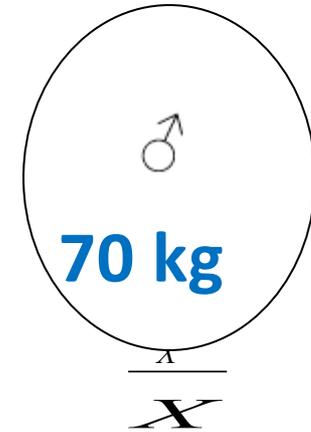
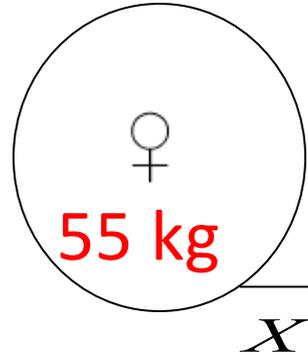
the sample measurement ( mean  $\pm$  S.D) is  
**not exactly reflect** its population .

There is a **difference** between sample mean  $\bar{X}$  and  
population mean  $\mu$

We expect always that there is a difference between groups .

Mean body weight of ♂ = 70 kg

Mean body weight of ♀ = 55 kg



Mean body weight of grope I (Jordanian) = 65 kg .

Mean body weight of grope II (Iraqi) = 60 kg .

Difference could be  **influencing factor**  
**Chance factor**

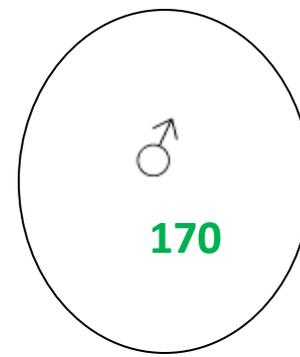
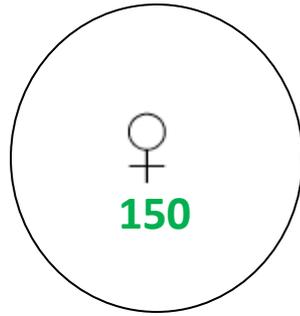
- ❑ So we expect always that, there is **difference** .
- ❑ And by using these **test of significance**,
- ❑ we assess whether **that difference between groups**  
is caused by
  - ❖ **specific factor**, that we are interest about or it
  - ❖ caused by **chance factor**?

Is the difference caused by **variation of sex** ??  
Or it is due to **chance factor** .

So we are **testing the significance effect** of the **sex** on the mean **body weight** .

Or the **influence of sex on the body weight of human** .

( إِنَّ الشَّيْطَانَ كَانَ لِلْإِنْسَانِ عَدُوًّا مُّبِينًا )



$$150/170=88.23\%$$

$$170/200=85\%$$

**□ Inferential statistics** is used to **test specific hypothesis** by **certain test of significance** .

The **purpose** of testing hypothesis is to aid the clinician, researcher, administer in **reaching a decision** concerning population, basis on examination of sample from **that pop.** .

**An important thing is the type of the variable concerned.**

# Hypothesis

A statement about one or more population .

Hypothesis is usually concerned with the **parameter of pop.** about which the statistics is made .

**Drug A is better than drug B.**

**COVID 19 infection more in Health Care Workers (HCWs)**

❑ So by mean of **hypothesis testing**

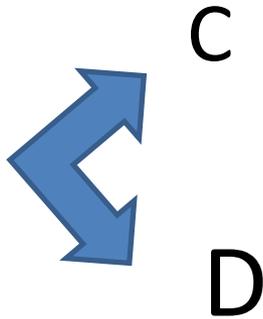
❖ we are going to **decide or determine** whether or not

❖ such statement is compatible with available data in sample

❑ **through using appropriate test of sign .**

**An important thing is the type of the variable concerned.**

I- **Data Nature of data**



II- **Assumption** \* Random sample (RS).

- \* Independent or dependent R .S .
- \* Equal variance (various equality) .
- \* Normality of pop. Distribution .

### III. Hypothesis formulation

Formulate two statistical hypothesis simultaneously ;

1. **Null hypothesis ( $H_0$ )**
2. **Alternative hypothesis ( $H_A$ ).**



## Null hypothesis ( $H_0$ )

### □ Hypothesis of no difference .

Since it is a statement of agreement with true condition in the population of interest.

□ **Consequently** the opposite of the conclusion that the researcher is seeking to reach, **become the statement of the null hypothesis** .

**In  $H_0$  it states always that, there is no significance difference or there is no influence or effect of influencing factor .**

In testing hypothesis process , **the  $H_0$  is either**

**Reject or**

**Not reject (accept) .**

Difference could be  **influencing factor**  
**Chance factor**

If  $H_0$  not rejected, we will say, that, the data in our hand 

influencing factor

Difference could be

Chance factor

**If  $H_0$  not rejected,**

we will say that, the data in our hand (or which the test is based on) **not provide sufficient evidence to cause rejection**

- ❖ If testing procedure leads **to rejection**, we will conclude that, the data in our **hand are not compatible with  $H_0$** . **But**
- ❖ **supporting of some other hypothesis**.

this hypothesis is known **as**

□ **Alternative hypothesis ( $H_A$ ).**

Difference could be

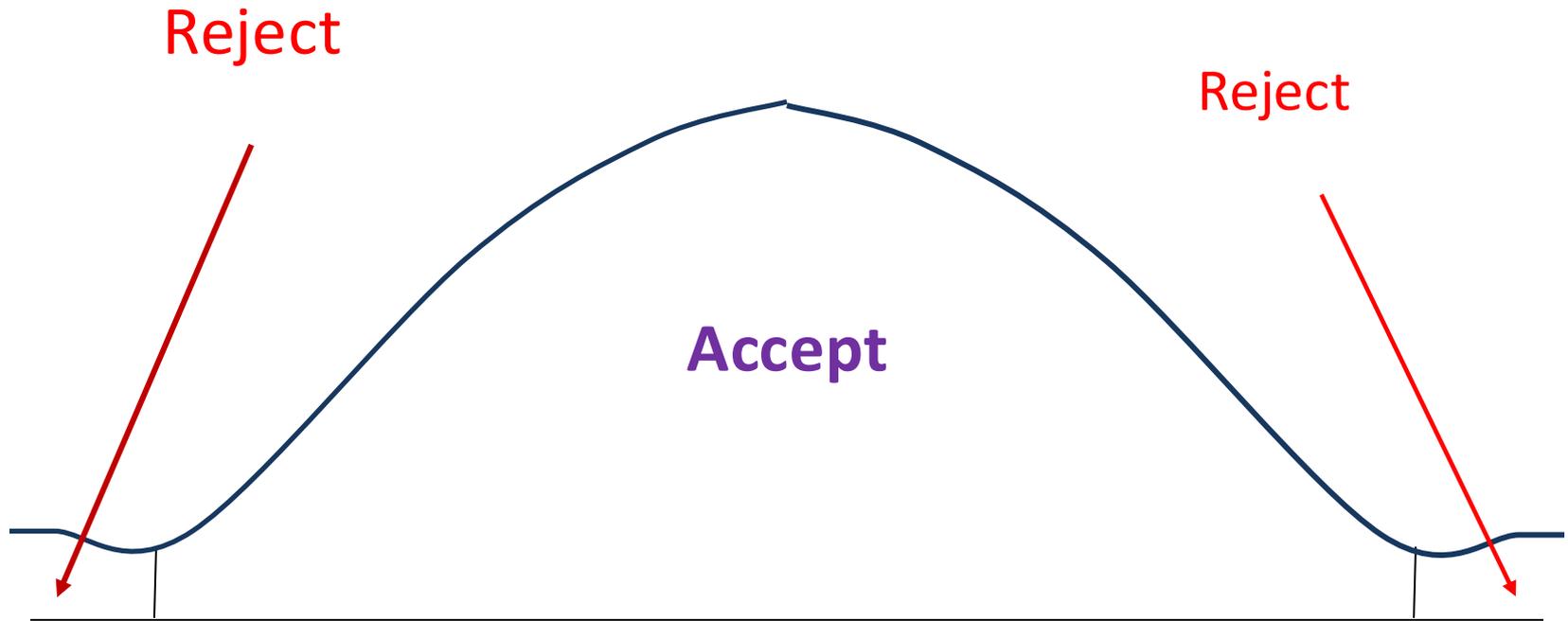
influencing factor

Chance factor

□ **The decision, to reject or accept the  $H_0$  depends on the magnitude (value) of the test statistics**

## Test statistics

Serve as a decision maker for rejecting or not rejecting the Null Hypothesis.



**An important thing is the type of the variable concerned.**

□ The distribution of **test statistics**, which is the key to the statistical inference **area under the curve divided into two groups or areas:**

**\* Rejection area (region)**

**\* Acceptance area (region)**

□ The decision as to which value go into **the rejection** and which one go to the **accept region** is made on the basis of the desired level of significance designated by **( $\alpha$ )**.

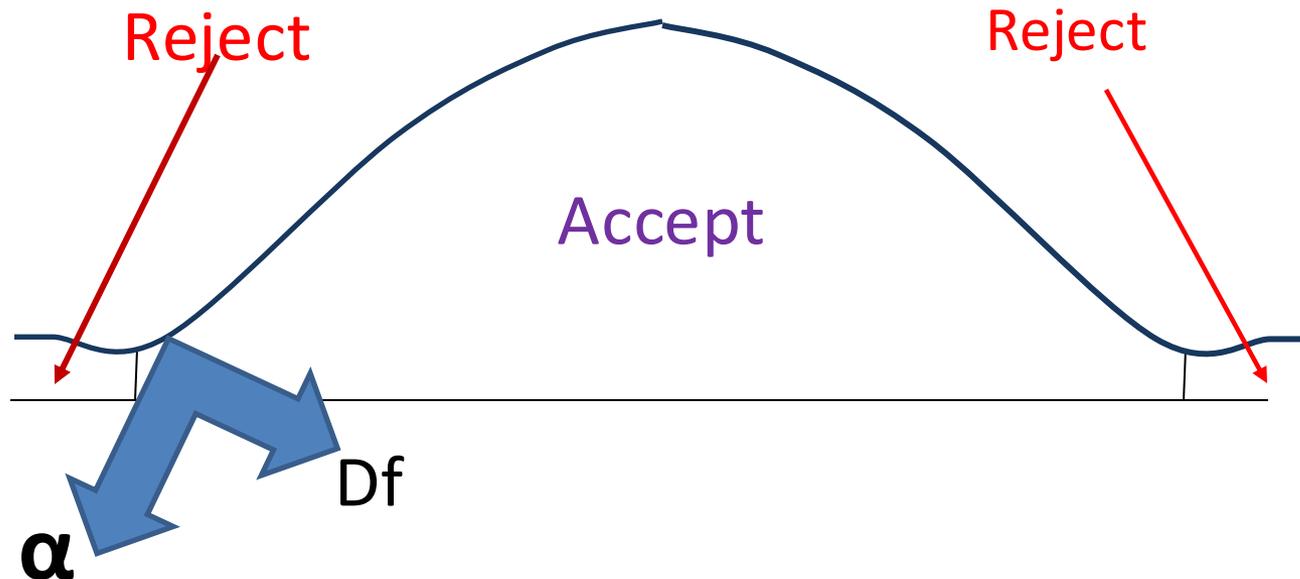
□ **So the value of test statistics fall in the rejection** region are those that are **less likely to occur if  $H_0$  is true.**

□ While the values making up the **accept region** are more **likely to occur if  $H_0$  is true**

when **Test statistics** that **fall in the rejection** region is said to **be significant**.

So the level of signify ( $\alpha$ ) is specify the area under the curve of the distribution of the **test statistics**.

- That is above the **value** on the horizontal axis constituting the rejection so
- ( $\alpha$ ) is probability of rejecting the true  $H_0$  .



يَا أَيُّهَا النَّاسُ قَدْ جَاءَكُمْ بُرْهَانٌ مِّن رَّبِّكُمْ وَأَنْزَلْنَا إِلَيْكُمْ نُورًا مُّبِينًا ﴿١٧٤﴾ النساء

## Define Level of Significance

Level of significance it is the probability level, ( **p Value** )

According to N.D at which we either accept or reject  $H_0$  .

According to N.D.C

we can assume that, **95% of the** difference between groups are caused by the **influencing factor** .

**the remaining 5% (2.5% on each side)** are caused by **chance factor**

so in biological research including medical research,

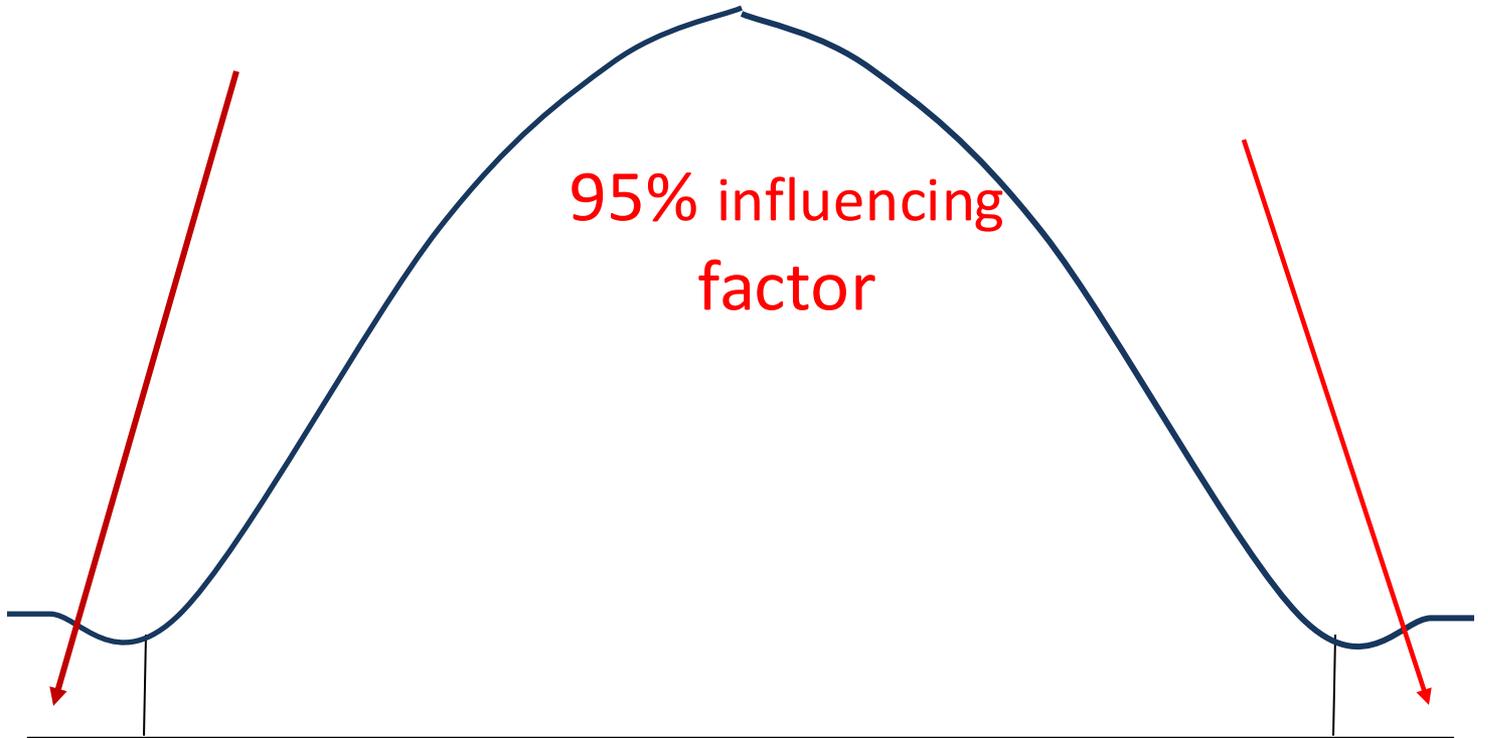
**level of significance is 95% (it is probability of influencing the factor under study)**

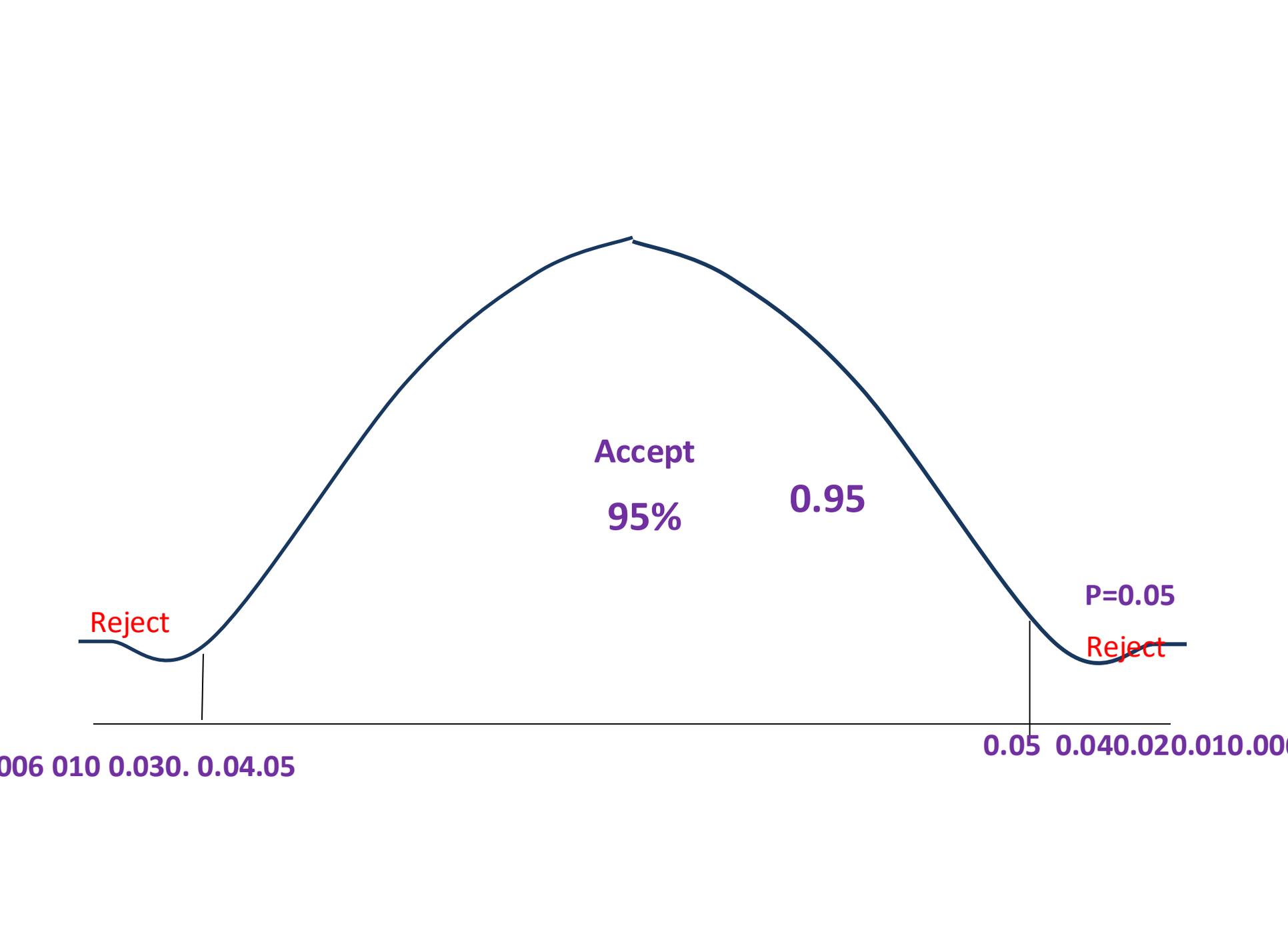
**the remaining 5% is the probability of effect of chance factor it is also called (P value)**

**chance factor**

**chance factor**

**95% influencing  
factor**





## Apply The Proper Test of Significance

Compute test statistics for each set of observation (data) or (study), we might use different test of sign.

1- Depending on the **variable** that we deal with Whether data is

**Continuous**

**Discrete .**

2- we will **compute** the value of **test statistics**.

3- **compare** with accept or reject region.

4- Then by using **test of significance**

We will able to quantify (measure) the **amount of ( $\alpha$ )** error or **(P)** value

**An important thing is the type of the variable concerned.**

If by using test of sing.

we found that calculated (P) value is larger than 5% (0.05),

this means that chance factor affect more then 5%,

in another word,

the influencing factor is affecting the difference less than 95%

in this we accept the  $H_0$ ,

or the difference between these groups is not significance.

And

There are chance factor causing the difference beside the influencing factor.

$P > 0.05 \rightarrow$  accept  $H_0 \rightarrow$  no significance difference

This mean that the effect of influencing factor is not significance.

If the calculated P value is smaller than 5%

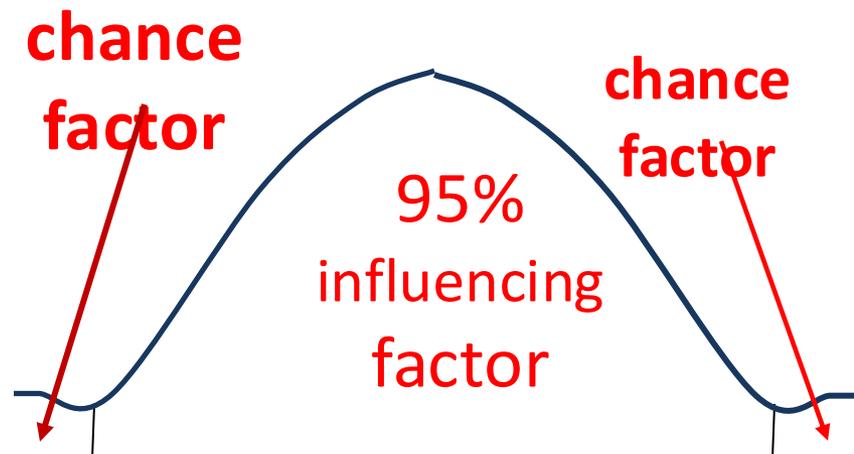
If the calculated **P** value is **smaller than 5%** ( $P < 0.05$ ) it means that

the **effect of the factor** under study is **larger than 95%** (0.95)

or the chance **factor is minimal effect.**

This means that the **influencing factor** has **significant effect**

$P < 0.05 \rightarrow$  reject  $H_0 \rightarrow$  significant difference.



## Statistical decision

Statistical decision, consist **of rejecting or not rejecting (accepting)  $H_0$ .**

**If computed value of test statistical fall in the reject region**

**or not rejected** if the computed value of test stat.  
fall in the accept region.

**If  $H_0$  is rejected clinical decision is compatible to the  $H_A$**

**If  $H_0$  is not reject, the clinical decision may take other from such a decision to collect more data .**

**P value**



wish

you  
all

the  
rest